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# Polymer Optical Fiber Temperature Sensor With Dual-Wavelength Compensation of Power Fluctuations

A. Tapetado, P. J. Pinzón, J. Zubia, and C. Vázquez

**Abstract:** The design and development of a plastic optical fiber macrobend temperature sensor is presented. The sensor can operate in a temperature range from  $-55$  to  $70$  °C and has a linear response versus temperature with a sensitivity of  $8.95 \cdot 10^{-4}$  °C $^{-1}$ . The sensor system uses the ratio of transmittance at two wavelengths to implement a self-referencing technique in order to avoid undesirable power fluctuations influence. The transmittance ratio precision is 0.1%. An analysis has been developed to find the two wavelengths which ratio offers the highest linearity and sensitivity response. Experimental results are successfully compared with theoretical approaches.

**Key Words:** Bend loss, intensity, loop, macro-bend, POF sensor, self-referencing technique, temperature, WDM.

## 1. Introduction

The use of temperature sensors in today's society is continually growing. There are a large number of sectors in which a temperature sensor is necessary to control different processes, such as: the automotive industry, air-conditioning control, food industry and medical applications, among others. Some decades ago, world sensor market was made up of traditional temperature sensors such as thermocouples, thermistors and resistance temperature detectors. These sensors are not well suited to be used in the presence of electromagnetic disturbances or inflammable atmospheres. These problems together with the advances in fabrication of optical fiber and in low-cost components for optical fiber communications promote the development of innovative temperature sensors based on optical fibers.

Many optical fiber sensors have been developed based on amplitude or phase techniques [1]. Different interferometric configurations have been proposed as temperature sensors such as Mach-Zehnder [2], Fabry-Perot [3] and Michelson [4]. These types of sensors are characterized by their large sensitivity and

accuracy, but their complexity of implementation and the higher price of the required equipment, make them unsuitable for low-cost applications. On the other hand, amplitude modulation temperature sensors are based on optical power variations. Some proposed sensors are based on frustration of total internal reflections [5]–[7], light generations [8] or light attenuation [9], among others. The amplitude temperature sensors are usually cheaper than the phase modulation sensors but they need to use a self-referencing technique [10]–[14] to avoid false reading caused by light source fluctuations or other undesired losses.

In this paper, the authors propose and characterize a self-reference low-cost intensity macrobend temperature sensor based on polymer optical fiber (POF). Other techniques to measure the temperature with macrobend sensors have been developed using silica [5], [7], [15], [16] or POF [6] but with other self-referencing technique that needs two different physical paths for the reference and sensing signals. The main advantage of using POF fiber instead of glass fiber is the larger diameter of the former, making the sensor less fragile and easier to handle, reducing development and maintenance cost. POF dimensions allow the use of low precision connectors and lenses as well as simple multiplexing and demultiplexing devices, especially if compared with silica optical fiber based sensors, allowing the implementation of low cost sensing systems. Although polymer based sensors have a smaller temperature range.

In this context, the novelty of this work is to develop and implement a self-referencing technique based on a single macrobend loop. The sensor system is based on the ratio of the output transmittances at two different wavelengths in a single macrobend sensor to avoid possible errors related to undesired optical power fluctuations [17]. Using a single macrobend loop instead of a dummy fiber-optic sensor as in [6], provides a robust temperature sensor independent of the repeatability of the manufacturing process and the different physical path loss evolution of other self-referencing techniques.

## 2. Principle of operation

A Step-index (SI) multi-mode optical fiber curved with a bend radius  $R$  and a core diameter  $2\rho_{\text{Core}}$  is shown in Fig. 1. The core and cladding refractive indices are  $n_{\text{Core}}$  and  $n_{\text{Cladding}}$ , respectively. The geometrical approach used to describe the core rays in a planar waveguide [18] is adapted to the bent optical fiber, due to the presence of the skew rays [19].

The guidance of the core rays is achieved by ensuring that the propagation angle,  $\alpha$ , satisfies the condition:  $0 \leq \alpha \leq \alpha_c$ , where the critical angle ( $\alpha_c$ ) at a specific temperature ( $T$ ) is

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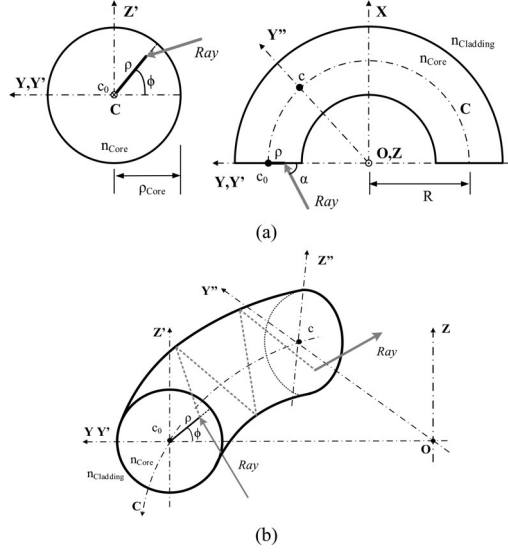


Fig. 1. Schematic of a bend fiber section curved with a radius of curvature  $R$ . (a) Frontal and top view. (b) 3-D section.

given by:

$$\alpha_c(T) = \sin^{-1} \left[ \frac{n_{\text{Cladding}}(T)}{n_{\text{Core}}(T)} \right] \quad (1)$$

The optical fiber numerical aperture (NA) for the rectilinear region at temperature  $T$  is given by:

$$\text{NA}(T) = n_{\text{Core}} \cdot \cos \alpha \leq [n_{\text{Core}}^2(T) - n_{\text{Cladding}}^2(T)]^{1/2} \quad (2)$$

The optical fiber sensor proposed in this paper is based on a macrobend POF. In this intensity sensor, the  $\rho$  losses depend on the NA change with the core and cladding refractive index variations. Those refractive indexes depend on the temperature and the wavelength. The optical fiber used in this experiment is a SI POF [20] with polymethylmethacrylate (PMMA) 980  $\mu\text{m}$  core diameter and 1mm cladding diameter of fluorinated polymer. The refractive index of the core and cladding can be fitted to a three-term Sellmeier dispersion relation of the form [21]:

$$n(\lambda) = \left[ 1 + \sum_{i=1}^3 \frac{A_i \cdot \lambda^2}{\lambda^2 - l_i^2} \right]^{1/2} \quad (3)$$

where  $n$  is the core and cladding refractive index,  $A_i$  is the oscillator strength,  $l_i$  is the oscillator wavelength, and  $\lambda$  is the wavelength of light.

The Sellmeier equation coefficients for a PMMA and a fluorinated polymer as a function of temperature are reported in [22], [23]. From (3), the first term of the Sellmeier coefficients for a fluorinated polymer has been adjusted to obtain the cladding refractive index of the fiber at the conditions given by the manufacturer. The fiber used in this experiment has a cladding refractive index of 1.40 at 25  $^\circ\text{C}$  and 650 nm [24]. Using the Sellmeier coefficients for the core and cladding material (see Table I) and considering  $T_0 = 27$   $^\circ\text{C}$ , the NA for the fiber at 25  $^\circ\text{C}$  and 650 nm is 0.511. This value is in good agreement

TABLE I  
COEFFICIENT OF THE SELLMIEER EQUATION FOR DIFFERENT POLYMERS

Coefficient	PMMA	Adjusted fluorinated polymer
$A_1$	0.4963	0.34
$l_1$	$71.8 \cdot (T/T_0)^2$	$79.1 \cdot (T/T_0)^2$
$A_2$	0.6965	0.351
$l_2$	$117.4 \cdot (T/T_0)^2$	$83.81 \cdot (T/T_0)^2$
$A_3$	0.3223	0.25
$l_3$	$9.237 \cdot (T/T_0)^2$	$106 \cdot (T/T_0)^2$

$T$  is temperature and  $T_0$  is a reference temperature.

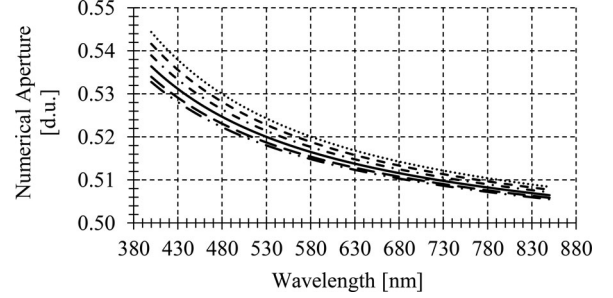


Fig. 2. Local numerical aperture versus wavelength in a rectilinear region of a POF:  $\cdots$  25  $^\circ\text{C}$ ,  $-\cdot-$  30  $^\circ\text{C}$ ,  $-$  40  $^\circ\text{C}$ ,  $-\cdot-$  50  $^\circ\text{C}$ ,  $-\cdot-$  60  $^\circ\text{C}$ ,  $\cdot\cdot$  70  $^\circ\text{C}$ .

with the NA given by the manufacturer,  $\text{NA} = 0.485 \pm 0.045$  at 25  $^\circ\text{C}$  and 650 nm [24].

From (2) and (3), and using the core and cladding Sellmeier coefficients, NA in a POF rectilinear region is plotted against wavelength for different temperatures in Fig. 2.

When the optical fiber is bent, the guidance of the core rays can follow two ways. Only the rays entering the bent part of the fiber in the meridional plane remain with the same angle of incidence along a given ray path. On the other hand, the skew rays entering this plane, after the successive reflections within the core, do not follow a simple repeatable pattern because of the asymmetry introduced by bending the fiber. So when the optical fiber is bent, the local NA changes at a given location of the curvature according to [19]:

$$\text{NA}(R, \rho, \phi) = n_{\text{Core}} \cdot \left[ 1 - \left( \frac{n_{\text{Cladding}}^2}{n_{\text{Core}}^2} \right) \cdot \left( \frac{R + \rho_{\text{Core}}}{R - \rho \cdot \cos \phi} \right)^2 \right]^{1/2} \quad (4)$$

where  $\phi$  is the ray angle at the beginning of the bend, which varies from  $0^\circ$  to  $180^\circ$ ,  $\rho_{\text{Core}}$  is the fiber core radius and  $\rho$  is the radial position in the core satisfying the relation  $0 \leq \rho \leq \rho_{\text{Core}}$  (see Fig. 1). Using (3) and (4), and the core and cladding Sellmeier coefficients, the temperature and wavelength dependence of the NA for a bend fiber can be expressed as:

$$\text{NA}(T, \lambda, R, \rho_{\text{Core}}, \phi) = n_{\text{Core}}(T, \lambda) \cdot \left[ 1 - \left( \frac{n_{\text{Cladding}}^2(T, \lambda)}{n_{\text{Core}}^2(T, \lambda)} \right) \cdot \left( \frac{R + \rho_{\text{Core}}}{R - \rho \cdot \cos \phi} \right)^2 \right]^{1/2} \quad (5)$$

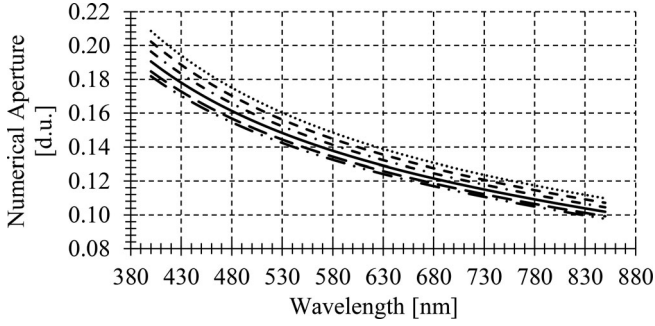


Fig. 3. Local numerical aperture versus wavelength,  $R = 2$  mm,  $\varphi = 135^\circ$  and  $\rho = 490 \mu\text{m}$ :  $\cdots$  25 °C,  $---$  30 °C,  $-$  40 °C,  $-\cdot- 50 °C,  $---$  60 °C,  $\cdots$  70 °C.$

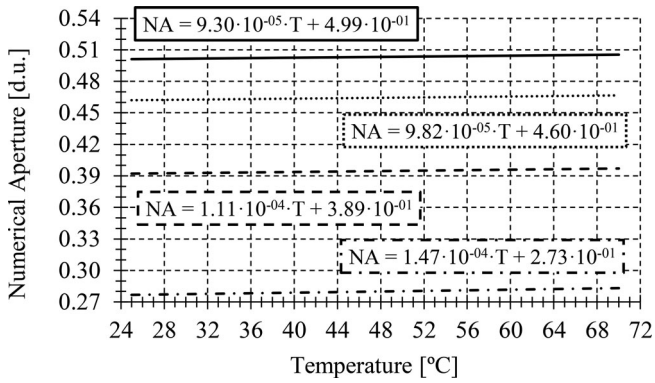


Fig. 4. Local numerical aperture versus temperature,  $\lambda = 660$  nm,  $\varphi = 150^\circ$  and  $\rho = 490 \mu\text{m}$ :  $-$   $R = 25$  mm,  $\cdots$   $R = 5$  mm,  $---$   $R = 2$  mm,  $-\cdot-  $R = 1$  mm.$

NA in a bend region is plotted against wavelength for different temperatures in Fig. 3, in dimensionless units (d.u.). A bend radius of 2 mm is considered.

It can be seen that at a given temperature the local NA decreases when the wavelength increases. In addition, the local NA increases when temperature increases. This happens because an optical ray that is unguided at the reference temperature becomes guided at greater temperatures. On the other hand, the NA temperature sensitivity increases when a bend is applied to the optical fiber, as shown in Fig. 2 and Fig. 3, with maximum NA temperature sensitivity of  $2.6 \cdot 10^{-4} \text{ }^\circ\text{C}^{-1}$  and  $6 \cdot 10^{-4} \text{ }^\circ\text{C}^{-1}$  for an unbent and bent fiber illuminated with a 400 nm light source, respectively.

From (3) and (4), and using the core and cladding Sellmeier coefficients, NA is plotted against temperature for different bend radii in Fig. 4. It can be seen that the NA temperature sensitivity decreases as the bend radius,  $R$ , increases up to the NA temperature sensitivity for a  $R$  of 25 mm.

For small amplitude variations in the core radius, the ratio of output to input power at the bend sensor ( $\eta$ ) is given by [25]:

$$\eta = \frac{P_{\text{Out}}}{P_{\text{In}}} = \frac{\left[ n_{\text{Core}}^2(T) - n_{\text{Cladding}}^2(T) \right]_{\text{Bend region}}}{\left[ n_{\text{Core}}^2(T) - n_{\text{Cladding}}^2(T) \right]_{\text{Straight region}}} \quad (6)$$

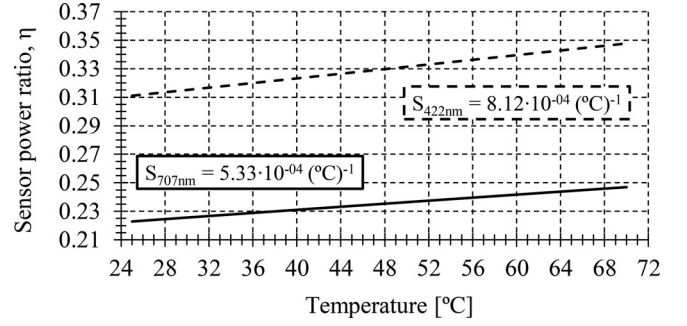


Fig. 5. Power ratio versus temperature in a bend fiber,  $R = 2$  mm,  $\varphi = 135^\circ$  and  $\rho = 490 \mu\text{m}$ :  $---$   $\lambda = 422$  nm,  $-$   $\lambda = 707$  nm.

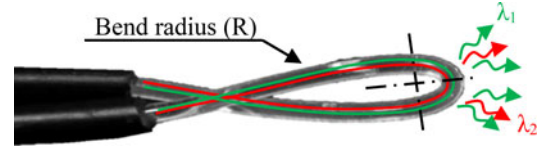


Fig. 6. Schematic of the two colors macrobend POF sensor.

where  $P_{\text{Out}}$  is the output power in the bent region and  $P_{\text{In}}$  is the input power, corresponding to the output of a straight region at  $c_0$ , see Fig. 1. Insertion losses, fiber attenuation and other parameters of the system are not included. The power ratio versus temperature for different wavelengths is plotted in Fig. 5. The power ratio increases when temperature increases as demonstrated in [6].

### 3. Manufactured sensor

A schematic of the manufactured fiber-optic temperature sensor is shown in Fig. 6.

The PMMA-based POF used in the experiment allows a minimum bend radius of 25 mm [20]. This means that the losses are negligible when the fiber is bent with a radius above 25 mm. The tensile strength and the Young's modulus are 70N and 2.7GPa [20], [26], respectively. These characteristics provide good mechanical properties at the time of manufacturing the sensor and permit to bend the fiber below the minimum bend radius without break, despite of the attenuation increments. From the middle section of the fiber length, the buffer coating is partially stripped in section of 30 mm length. The sensor is formed by creating a single 180° loop with a bend radius of 2 mm, as shown in Fig. 6. To fix the radius, a cylinder is used to give more precision to the bending process. Then, the buffer coating in the junction of the two branches is fixed by cyanoacrylate adhesive.

### 4. Experimental set-up and measurements

The schematic of the experimental set-up is shown in Fig. 7. The light source is a 360 to 2,500 nm stabilized halogen bulb. In order to overcome the low power of the halogen light source at short wavelengths, a 400 to 460 nm light-emitting diode (LED) IF-E92 is added to the main light source using collimating optics and a 50/50 POF splitter, as shown in Fig 8. The sensor is fixed at a 1 mm distance from a rectangular highly conductive metal base

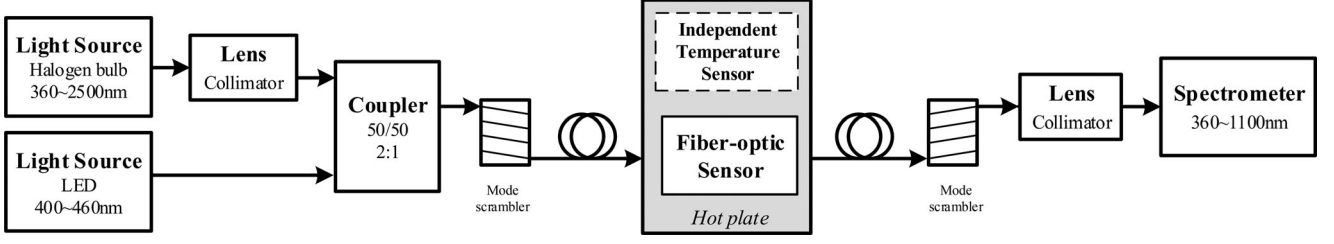


Fig. 7. Schematic of the experimental set-up for characterizing the POF temperature sensor.

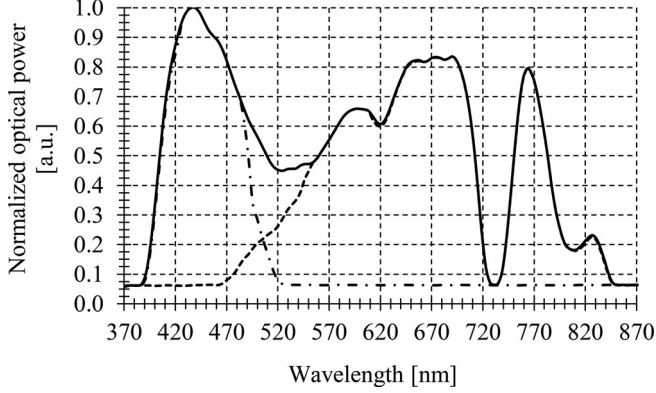


Fig. 8. Normalized power spectrum at the output branch of the coupler: — Halogen bulb and LED, --- Halogen bulb, - - - LED.

plate of the heating unit. A thermal isolated stage is performed for supporting the fiber sensor. Setting a fixed distance between the sensor and the hot plate prevents possible changes in the refractive index of the cladding due to the contact with other materials [6]. The temperature of the hot plate is controlled with a controller unit. For calibration purposes, an independent electronic temperature sensor is used.

Two mode scramblers are placed before and after the sensor to produce a stable mode distribution in the fiber regardless of the launch conditions.

All transmittance measurements are taken with a high speed diffraction grating based spectrometer with an array of 128 photodiodes (pixels), in the range from 360 to 886 nm and wavelength resolution of about 4 nm. The spectrometer sensitivity is controlled by the integration time which can vary from 1 ms to 60s [27].

In order to avoid false reading caused by fluctuations of the light source or other undesired losses, a relation between transmittances at two different wavelengths ( $\lambda_1$ ,  $\lambda_2$ ) is measured to implement a self-referencing technique. This transmittance ratios at the selected wavelengths ( $\tau_{\lambda_1}$ ,  $\tau_{\lambda_2}$ ) are given by:

$$\begin{aligned} \tau_{\lambda_1} &= \frac{P_{\lambda_1}(T)}{P_{\text{Ref},\lambda_1}} \\ &= \frac{L_{\text{Dev},\lambda_1} \cdot L_{\text{Sensor},\lambda_1}(T_0) \cdot F_{\lambda_1}(T) \cdot P_{\text{Source},\lambda_1}}{L_{\text{Dev},\lambda_1} \cdot P_{\text{Source},\lambda_1}} = \\ &= L_{\text{Sensor},\lambda_1}(T_0) \cdot F_{\lambda_1}(T) \end{aligned} \quad (7)$$

$$\begin{aligned} \tau_{\lambda_2} &= \frac{P_{\lambda_2}(T)}{P_{\text{Ref},\lambda_2}} \\ &= \frac{L_{\text{Dev},\lambda_2} \cdot L_{\text{Sensor},\lambda_2}(T_0) \cdot F_{\lambda_2}(T) \cdot P_{\text{Source},\lambda_2}}{L_{\text{Dev},\lambda_2} \cdot P_{\text{Source},\lambda_2}} = \\ &= L_{\text{Sensor},\lambda_2}(T_0) \cdot F_{\lambda_2}(T) \end{aligned} \quad (8)$$

where  $P_{\lambda_1}(T)$  and  $P_{\lambda_2}(T)$  are the output optical power at each wavelength for a given temperature ( $T$ ).  $P_{\text{Ref},\lambda_1}$  and  $P_{\text{Ref},\lambda_2}$  are the output reference power for each wavelength at reference temperature.

These values are obtained measuring the output power for each wavelength without the macrobend optical fiber sensor in the calibration set-up. The integration time of the spectrometer is fixed at 300 ms. The experiment is performed at reference temperature  $T_0$  of 25 °C.  $L_{\text{Dev},\lambda_1}$  and  $L_{\text{Dev},\lambda_2}$  are factors including the attenuation of the fiber leads, collimation losses, connectors and adaptor losses and insertion losses of the coupler at each wavelength.  $F_{\lambda_1}(T)$  and  $F_{\lambda_2}(T)$  are the optical power modulation function versus temperature at the fiber-optic sensor for each wavelength.  $L_{\text{Sensor},\lambda_1}(T_0)$  and  $L_{\text{Sensor},\lambda_2}(T_0)$  are the macrobend sensor insertion losses at the reference temperature at both wavelengths. Finally,  $P_{\text{Source},\lambda_1}$  and  $P_{\text{Source},\lambda_2}$  are the optical power of the light source at the two selected wavelengths, respectively. From (7) and (8), the self-reference output transmittance ratio ( $\gamma_{\text{SR}}$ ) is defined as:

$$\begin{aligned} \gamma_{\text{SR}} &= \frac{\tau_{\lambda_1}}{\tau_{\lambda_2}} = \frac{L_{\text{Sensor},\lambda_1}(T_0) \cdot F_{\lambda_1}(T)}{L_{\text{Sensor},\lambda_2}(T_0) \cdot F_{\lambda_2}(T)} \\ &= \frac{L_{\text{Sensor},\lambda_1}(T_0)}{L_{\text{Sensor},\lambda_2}(T_0)} \cdot F(T) \end{aligned} \quad (9)$$

The self-reference output transmittance ratio depends on the power sensor variations with temperature and on a constant ratio between the insertion losses of the macrobend sensor at the different wavelengths.

In the experiment, the transmittance at different wavelengths is measured from 370 to 870 nm with 4 nm resolution using the spectrometer, in a temperature range from 27 to 70 °C at 2 °C intervals. A time interval of 2 min is set, between each temperature measurement, to ensure the stabilization of the transmittance values. In those measurements, the spectrometer integration time is adjusted from 300 ms to 3s in order to compensate the sensor insertion loss, of 10dB including the ST connectors. It is recommended that the spectral measurements cover 90% of the spectrometer's full scale [27]. A total of five

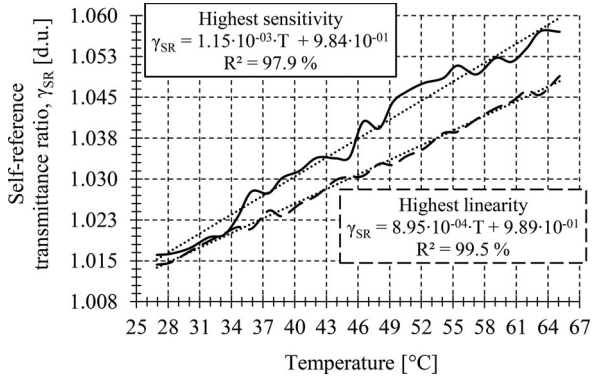


Fig. 9. Self-reference transmittance ratio versus temperature: — 422/409 nm, --- 707/779 nm.

samples for each wavelength and temperature are carried out to perform a complete statistical analysis of the sensor parameters. Software based on graphical programming code is developed to acquire transmittance from the spectrometer.

A searching algorithm based on numerical computing code has been developed to find the output transmittance ratios that offer the highest linearity and sensitivity for all possible pair of wavelengths. The analyzed wavelengths are located in spectral regions of low POF attenuation. For each temperature and wavelength, the algorithm calculates the mean of the transmittances for the five samples. The ratio of the average transmittance at two different wavelengths is calculated for each temperature. This value is estimated for all pairs of wavelengths. The sensitivity and the linear regression coefficient are calculated for each transmittance ratio using a linear regression model to approach the relationship between transmittance and temperature.

Fig. 9 shows the measurements of the calibration curves for the two pairs of wavelengths that offer the highest linear regression and sensitivity. These sensitivities are  $8.95 \cdot 10^{-4} \text{ } ^\circ\text{C}^{-1}$  for 707/779 nm transmission ratio, and  $1.15 \cdot 10^{-3} \text{ } ^\circ\text{C}^{-1}$  for 422/409 nm transmission ratio. These values can be expressed as  $3.82 \cdot 10^{-3}$  and  $4.49 \cdot 10^{-3} \text{ dB}/^\circ\text{C}$ . The sensor temperature sensitivity is higher than the temperature coefficient of the fiber attenuation  $\beta_R = 1.510^{-6} \text{ dB}/^\circ\text{C}$ , for a 3 cm long POF sensor [24]. The linear regression coefficients are 99.5 and 97.9%, respectively. The full-scale self-reference transmittance ratio errors are 2.6 and 3.2%, respectively. The sensor precision is calculated from the maximum standard deviation of the five samples for each temperature. The self-reference transmittance ratio accuracy for 707/779 nm and 422/409 nm is 0.1 and 0.2%, respectively. The fiber attenuation at 409, 422, 707 and 779 nm is 0.19, 0.16, 0.83 and 0.87 dB/m, respectively.

The sensitivity of the transmittance ratios at the two pairs of wavelengths increases at shorter wavelengths due to the decrement of the NA variation with temperature at longer wavelengths, as expected from Fig. 3. This is also shown in Fig. 10, where output transmittance measurements are plotted against temperature for different wavelengths. Therefore, the measured wavelength dependence of the sensor is in good agreement with theory. Specific simulations for a single wavelength using the ray tracing theory are reported in [6].

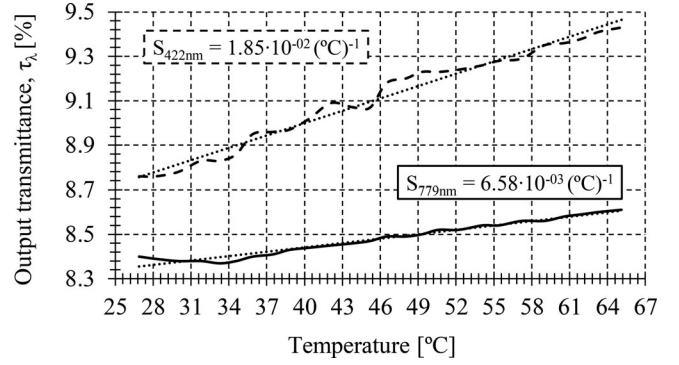


Fig. 10. Output transmittance versus temperature: --- 422 nm, — 779 nm.

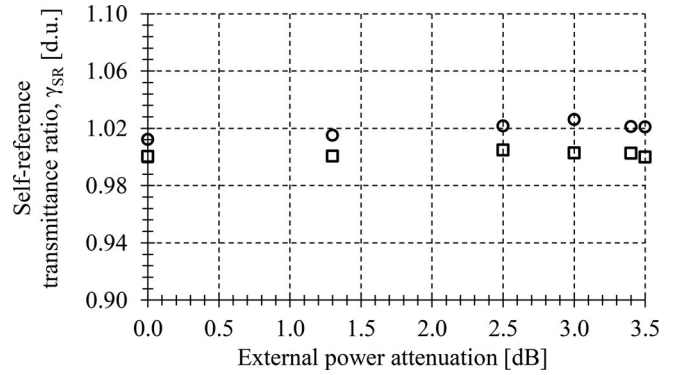


Fig. 11. Self-reference transmittance ratio  $\gamma_{SR}$ , versus undesirable power fluctuations:  $\circ$  422/409 (Highest sensitivity),  $\square$  707/779 (Highest linearity)

## 5. Self-referencing test

The self-reference property is tested by inducing power fluctuations through a mandrel. Measurements are taken for the highest linearity and sensitivity curves, see Fig. 11.

The self-reference transmittance ratio error from external power fluctuations at a fixed temperature is 0.2 and 0.5% for 707/779 nm and 422/409 nm, respectively. As expected, the self-reference transmittance ratio errors for the sensor calibration curves are higher than those for the self-reference test. There are no significant changes in the measurement parameter after inducing a power attenuation up to 3.5 dB.

## 6. Discussion

The proposed temperature sensor uses the ratio of transmittance at two different wavelengths to provide a robust wavelength division multiplexing (WDM) self-referencing technique. An experiment is carried out for measuring the transmittance from 370 to 870 nm. The output transmittance ratio measurements for all possible those wavelengths are calculated to find those wavelengths that offers the highest linearity and good sensitivity. Those are  $\lambda_1 = 707 \text{ nm}$  and  $\lambda_2 = 779 \text{ nm}$ . The sensor can operate in a temperature range from  $-55$  to  $70 \text{ } ^\circ\text{C}$ . Meanwhile the measured calibration curve from 27 to  $70 \text{ } ^\circ\text{C}$ , shows a sensitivity and a linear regression coefficient of  $8.95 \cdot 10^{-4} \text{ } ^\circ\text{C}^{-1}$  and 99.5%, respectively. The self-reference transmission ratio

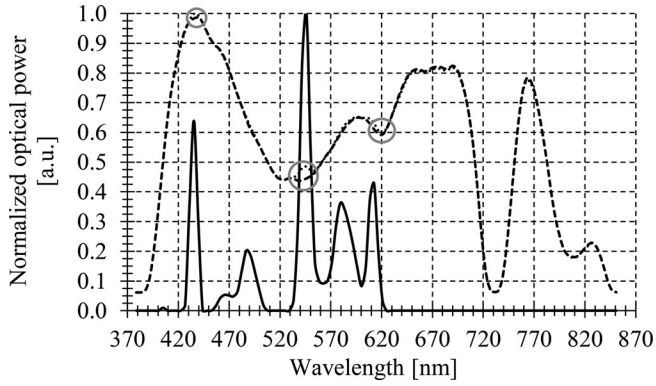


Fig. 12. Normalized power spectrum: — Fluorescent light emission spectrum, - - - Sensor output power without fluorescent light, · · · Sensor output power with fluorescent light.

accuracy and full-scale temperature precision error are 0.1 and 6%, respectively.

The most limiting component in the system error is the spectrometer. The spectrometer used in this experiment has a transmittance ratio repeatability error and resolution of 0.17 and 0.002% for 707/779 nm. By using another spectrometer with higher intensity resolution and sensitivity, the system temperature error and the oscillations of the self-reference parameter can be reduced.

The sensor can be used under ambient lighting conditions, such as fluorescent ceiling lamps. Fig. 12 shows the influence of the fluorescent light emission spectrum on the sensor. Appreciable change on the sensor output power spectrum occurs at the maximum power peaks of fluorescent light emission spectrum but outside of the maximum sensitivity and linearity wavelength ranges. This demonstrates that there is no influence of fluorescent light in the measurement process.

Measurements presented in this work are performed using a stabilized halogen light source in combination with a blue LED, in order to compensate the low power of the halogen source in the violet-blue region (see Fig. 8).

The output power of the blue LED is not stabilized. Voltage changes in the DC power supply may present power drift with time. The calibration curve is measured 120 min after turning on the sources and the measurements take 50 min. An analysis of the output transmittance ratio is carried out to ensure the stability of the measurements. The blue LED has a power drift of 0.03% for 422/409 nm transmission ratio during the 50 min test. To measure the power drift the LED was thermally stabilized using a thermal hot plate at 25 °C. On the other hand, when measuring the sensor calibration curve, the LED is not thermally stabilized and may present a power drift with ambient temperature. During the measurements, the ambient temperature changed between 25 and 26 °C. Considering these values, the power drift is 0.05% for 422/409 nm transmission ratio. Using the calibration curve at the selected ratio of transmittances, this value can be expressed in terms of full-scale temperature errors as 1.7%. These results justify the higher temperature error for the 422/409 transmission ratio calibration curve. The use of a thermally and power stabilized halogen light source reduces the sensor temperature error.

A comparative analysis has been developed between the proposed technique and other implementations of WDM self-referencing techniques reported on the literature, see Table II.

Self-referencing techniques based on silica fiber [28], [29] require more expensive and accurate equipment than those based on POF. This is due to the smaller size and lower NA of the silica fibers. Some self-reference techniques [29], [30] use a modulated optical signal at a low frequency for improving the resolution but at the expense of increasing the cost and the complexity of the system. POF sensor reported in [6] uses a self-referencing technique that needs a dummy sensor. The main drawbacks to use a dummy sensor are the fact that the reference signal and the sensing signal follow different paths and the need to add an additional sensor. The optical power at those two paths could be affected by different short or long term power perturbations, changing the output power ratio and hence the reading temperature. On the other hand, the tolerances of the sensor manufacturing process can make difficult to manufacture two identical sensors in a repetitive way. To overcome these problems, a WDM self-referencing technique based on a single macro-bend loop is proposed. This technique has smaller fluctuations of the self-reference parameter in comparison with other implementations, see Table II. Anyway, this technique usually requires the use of demultiplexers to measure the transmittance at each wavelength as those reported in [31].

One potential application field of the proposed temperature sensor is in the biomedical sector. Minimally invasive tools and sensors have become essential for medical diagnosis and surgery with the desire of not only serving at the same time to sense physiological parameters, but also being able to overcome biocompatibility concerns. Nowadays, there are different medical areas where fiber-optic temperature sensors hold potential; particularly if in-vivo applications are pursued [32], as here there is a need to develop sensors for minimally invasive surgery procedures. The minimum and maximum temperature that a human body can stand without dying are approximately 20 °C [33] and 41.1 °C [34]. According to this temperature range, the proposed sensor can be used in medical applications.

On the other hand, the proposed fiber-optic sensor can be used in temperature measurements in power transformer applications where the presence of electromagnetic interferences limits the use of traditional sensors [35]. The current demand of energy requires an overload in the transformers causing overheating in the refrigerant liquid. The coolant aging increases the risk of in-service failure, being potentially dangerous through explosions and fire, is costly to repair or replace, and may result in significant loss of revenue [36]. The working temperature range of a transformer oil is from 20 °C to 45 °C [35]. For this reason, the proposed POF temperature sensors can be a good solution.

## 7. Conclusion

Macrobending loss, caused by the changes in the core and cladding refractive indexes of a SI POF has shown to be a usable technique for temperature sensing at different wavelengths. A WDM self-referencing technique has shown to provide a robust temperature sensor development independent of the

TABLE II  
CHARACTERISTICS IN SOME INTENSITY BASED SENSORS

Self-Reference Technique	Fiber	Light Source	Modulated	Wavelength demultiplexing	Detector	Self-Reference parameter (1)
WDM Technique [28]	Graded-index Silica Fiber	White light source	Non-modulated	Two bandpass filters and a beam splitter	Two photodetectors	~5% fluctuation after inducing 3dB external loss
WDM Technique [29]	Step-index Silica Fiber	GaAlAs LED	Square 1 kHz	Two optical filters and a beam splitter	Two PIN photodiodes	~1% fluctuation after coiling the fiber into 5 loops of 1cm
WDM Technique [30]	Step-index PMMA POF	Multicolor (blue and red) LED	ASK 1 kHz (4)	Synchronous detection algorithm	One photodetector	~1.5% fluctuation after inducing 0.42dB external loss
Dummy sensor [6]	Step-index PMMA POF	Red LED	Non-modulated	Two different paths	Two Si photodetectors	(2)
WDM Technique (This work)	Step-index PMMA POF	Halogen bulb and blue LED	Non-modulated	Spectrometer (3)	Spectrometer (3)	0.2% fluctuation after inducing 3.5dB external loss

Notes: 1. Estimated values obtained from the figure of the articles. 2. This value is not shown in the article. 3. The proposed self-reference technique can be developed using a POF-based demultiplexer [31] and two Si photodiodes to reduce its cost. 4. ASK: Amplitude-shift keying.

repeatability of the manufacturing process and the different physical path loss evolution of other self-referencing techniques. The sensitivity increases as the wavelengths used to calculate the self-reference transmittance ratio decreases. Moreover, longer wavelengths induce a lower temperature error and a higher linearity. The self-reference sensor based on the transmittance ratio at  $\lambda_1 = 707 \text{ nm}$  and  $\lambda_2 = 779 \text{ nm}$  has a sensitivity of  $8.95 \cdot 10^{-4} \text{ }^\circ\text{C}^{-1}$ . The linear regression coefficient is 99.5%. It shows a 6% full-scale temperature error due to the spectrometer used in the experiments. The proposed sensor is based on a single macro-bend loop on flexible and easy to handle fiber using low-cost optical sources. The sensor can be used in power transformer and biomedical applications.

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