

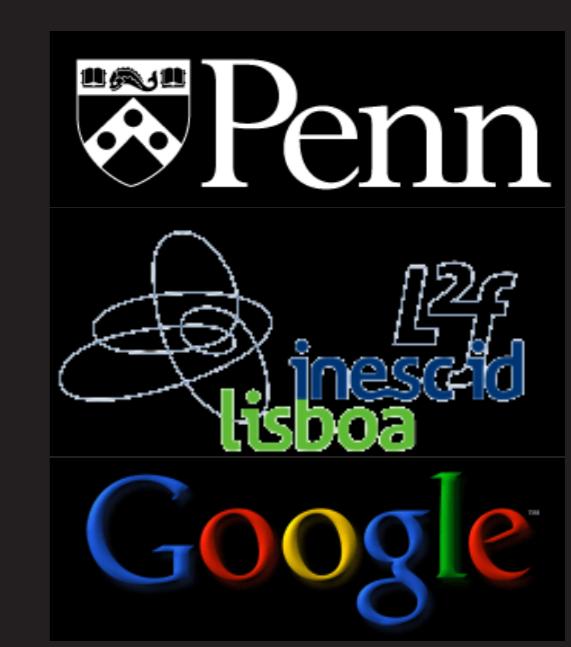
# Sparsity in Dependency Grammar Induction

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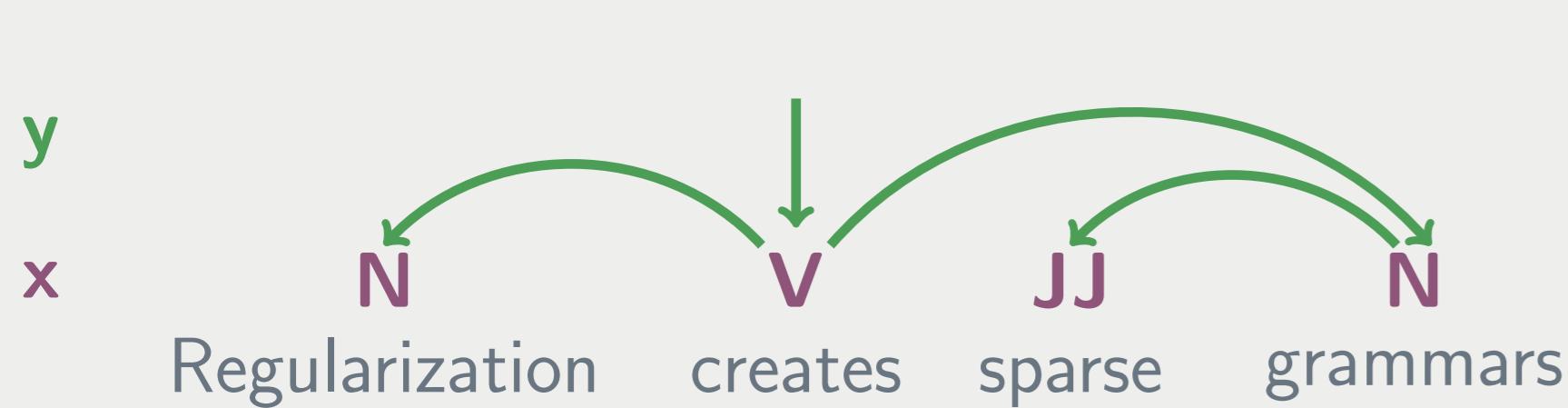
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## Motivation

Dependency Model with Valence (Klein and Manning, ACL 2004)



$$p_{\theta}(x, y) = \theta_{\text{root}}(v) \cdot \theta_{\text{stop}}(\text{nostop}|v, \text{right}, \text{false}) \cdot \theta_{\text{child}}(n|v, \text{right}) \cdot \theta_{\text{stop}}(\text{stop}|v, \text{right}, \text{true}) \cdot \theta_{\text{stop}}(\text{nostop}|v, \text{left}, \text{false}) \dots$$

► Task: Unsupervised dependency grammar induction

► Problem: Model is simple, but still **too permissive**: most relations (e.g. DET → V, N, JJ, etc.) should not occur

► Solution: **Posterior constraints** to limit grammar ambiguity during learning

## Traditional Objective Optimization

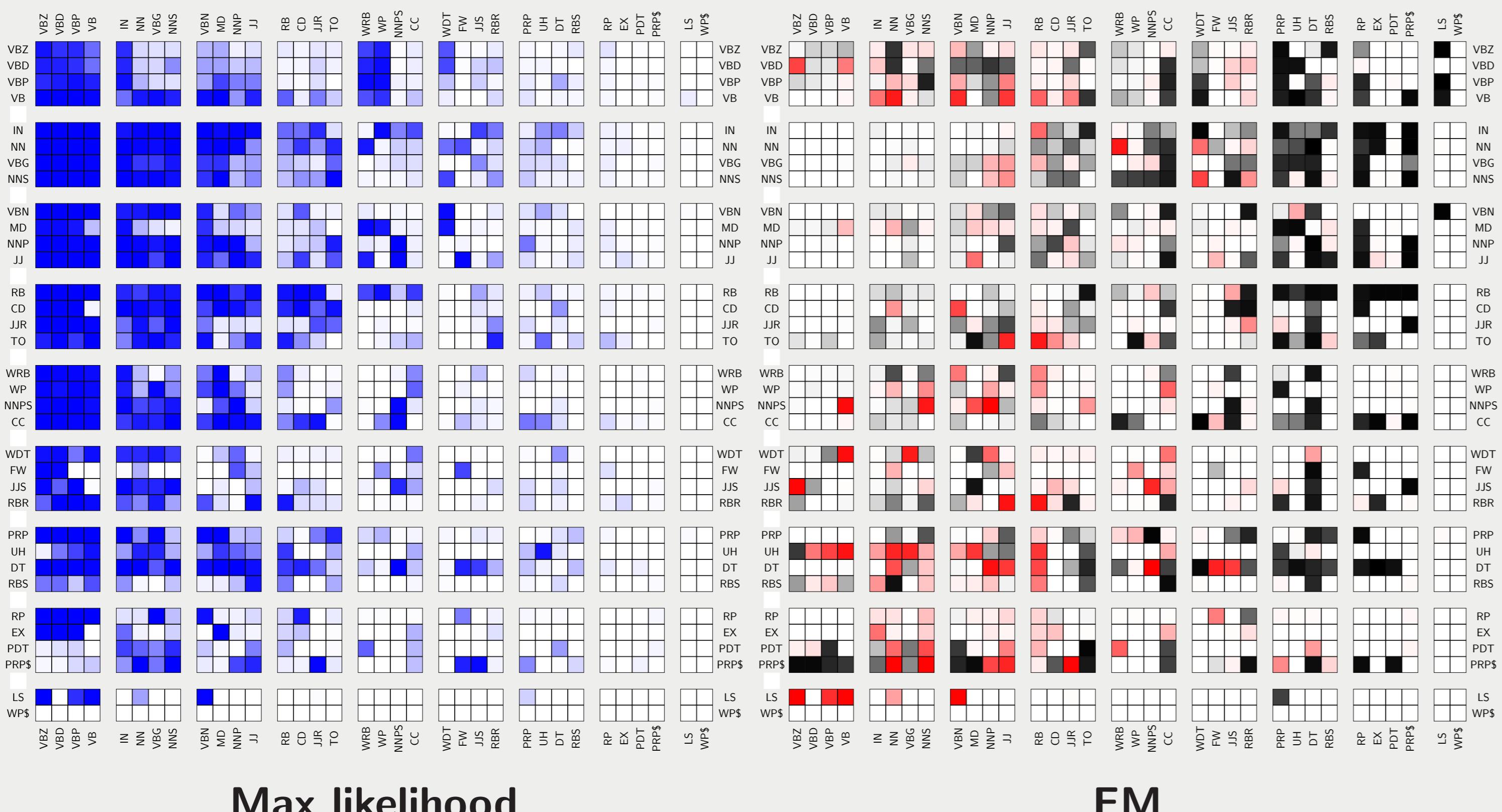
► Traditional objective: marginal log likelihood  $\max_{\theta} \mathcal{L}(\theta) = \hat{\mathbb{E}}_x [\log \sum_y p_{\theta}(x, y)]$

► Optimization method: Expectation maximization (EM)

► Figures: Parent tags across, child tags down

► Left: Blank squares have max posterior 0; many parent-child relations don't occur

► Right: Red have max < supervised, black have max > supervised; many dark squares implies model assigns non-zero probability to too many pairs



## Parameter Regularization: $\mathcal{L}(\theta) + \log p(\theta)$

► Hierarchical Dirichlet processes (Liang et al., EMNLP 2007; Johnson et al., NIPS 2007)

► Discounting Dirichlet prior (Headden et al., ACL 2009)

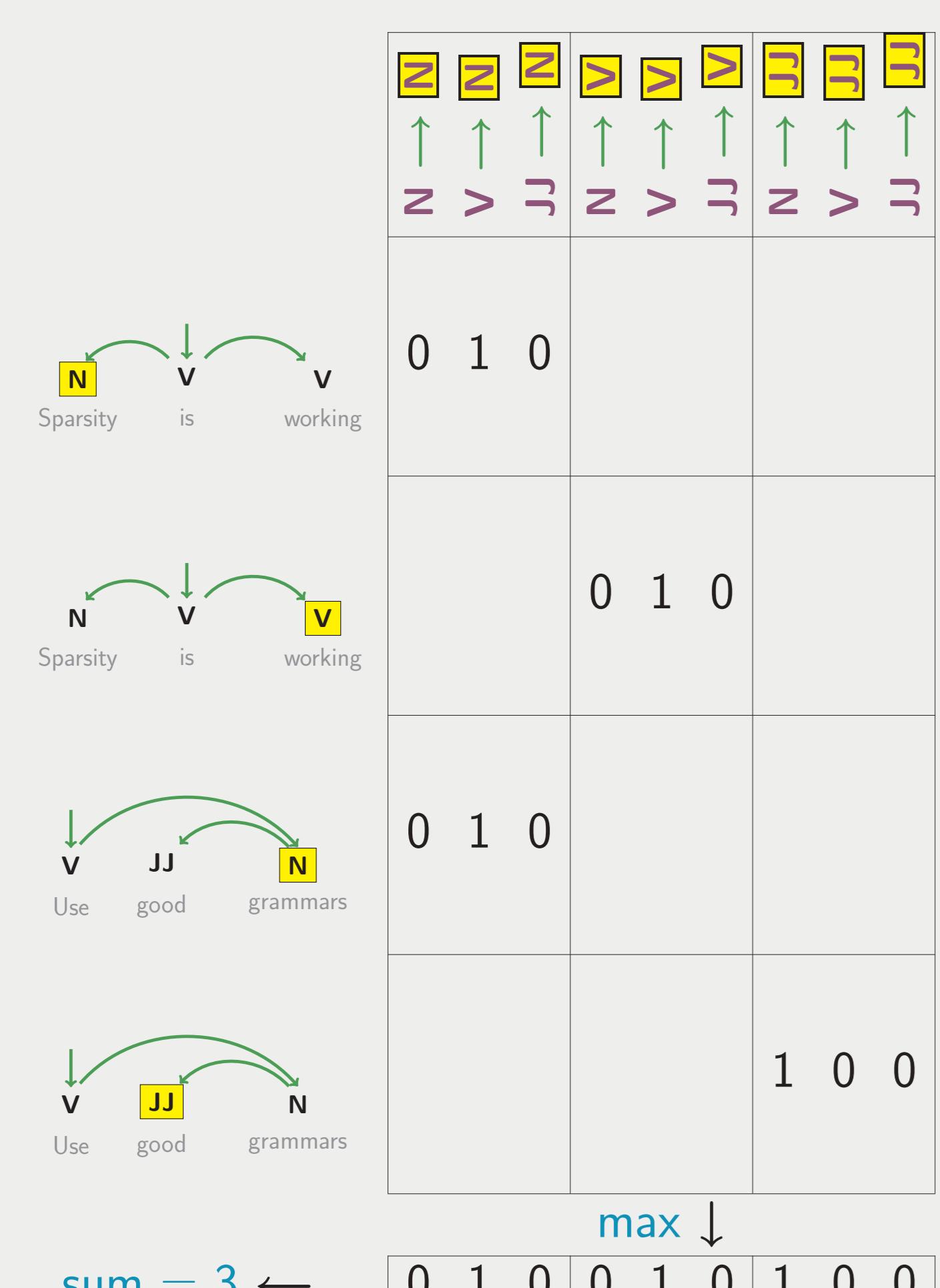
► Logistic normal prior (Cohen et al., NIPS 2008; Cohen and Smith, NAACL 2009)

► All of these tend to **reduce unique # of children per parent**, rather than directly **reducing # of unique parent-child pairs**:  $\theta_{\text{child}}(y|x) \neq \text{posterior}(X \rightarrow Y)$

## Ambiguity Measure Using Posterior: $L_{1/\infty}$

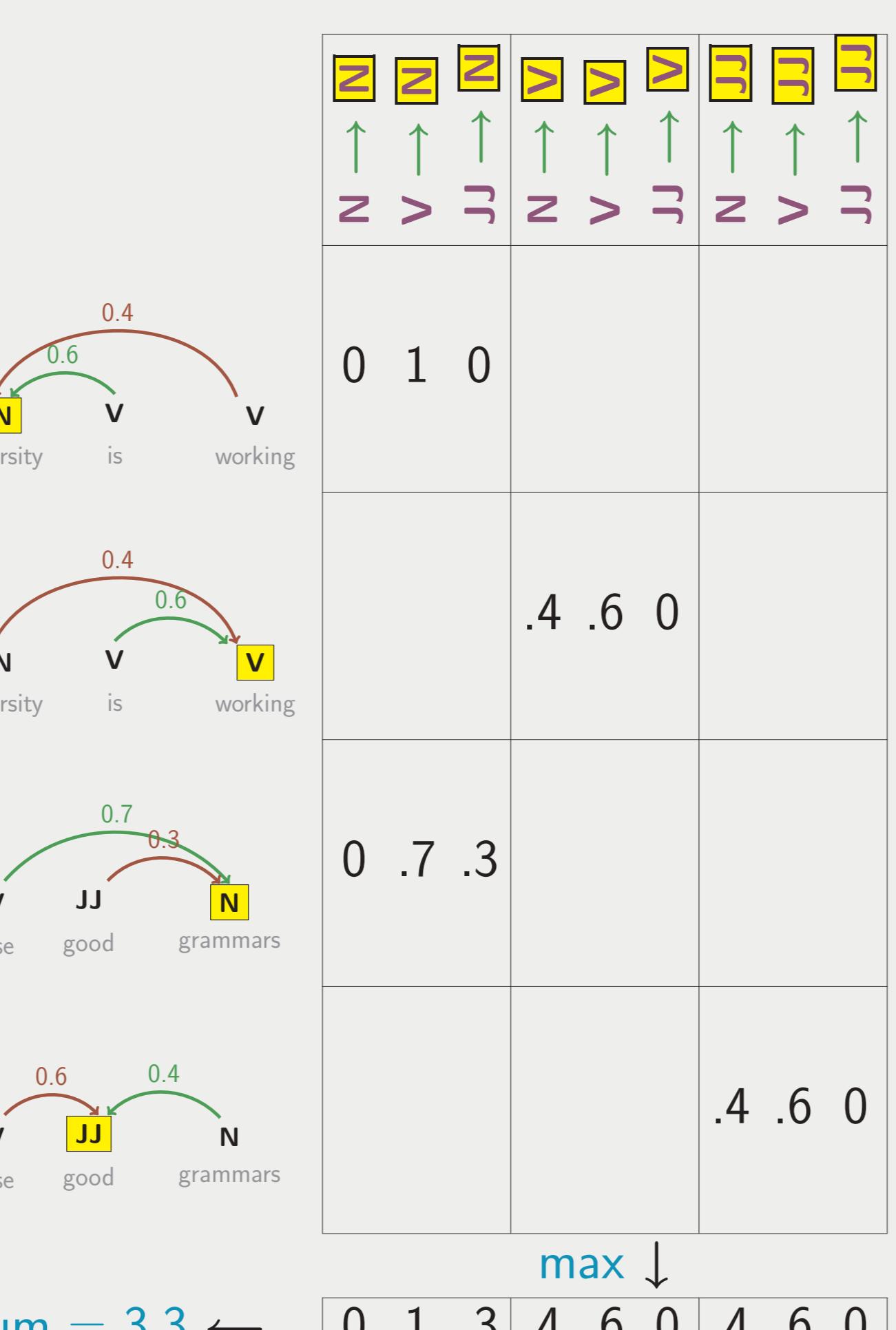
### Gold trees

sum = # of unique pairs



### Postiors $p_{\theta}(y|x)$

sum =  $\hat{\mathbb{E}}_x [\# \text{ of unique pairs}]$

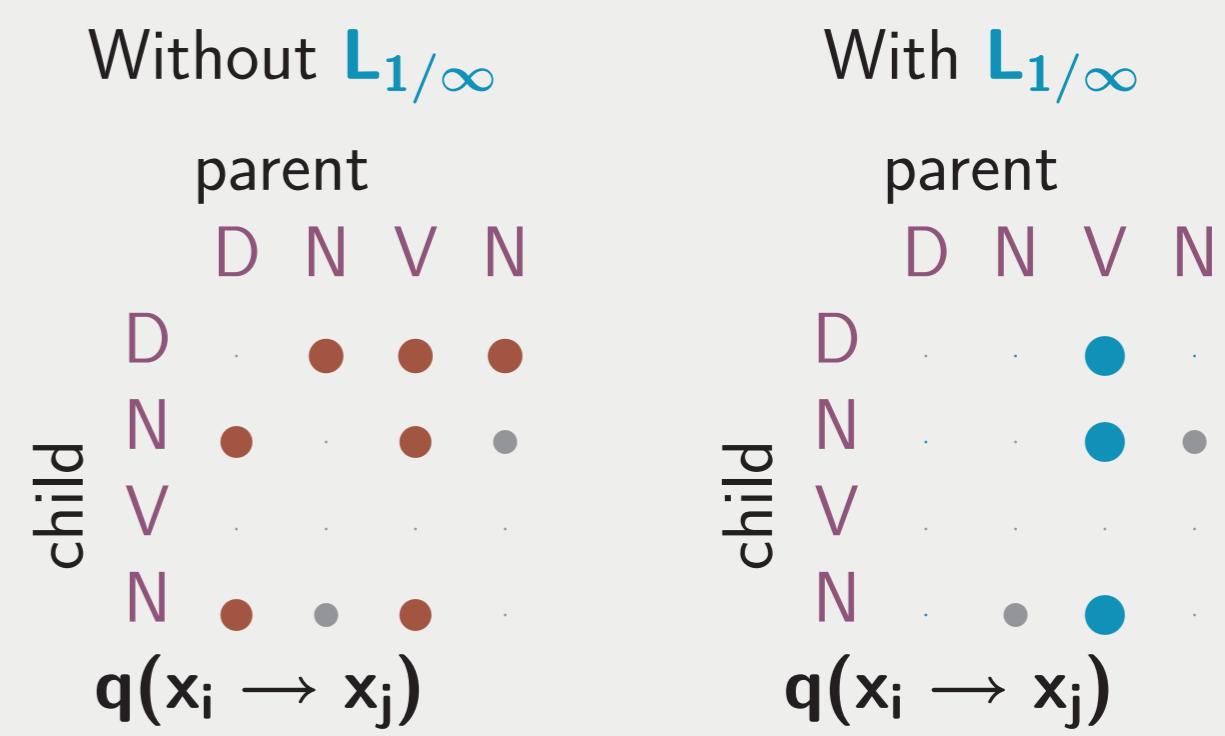


## Posterior Regularization

Minimize # of unique pairs through E-step penalty,  $L_{1/\infty}$  on the posteriors  $q(y|x)$  (Graca et al., NIPS 2007 & 2009)

$$\text{M-Step } \theta^{t+1} = \arg \max_{\theta} \hat{\mathbb{E}}_x \left[ \sum_y q^t(y|x) \log p_{\theta}(x, y) \right]$$

$$\text{E-Step } q^t(y|x) = \arg \min_{q(y|x)} \text{KL}(q(y|x) \| p_{\theta^t}(y|x)) + \sigma L_{1/\infty}(q(y|x))$$



## Experiments on English

► Penn Treebank data, strip punctuation, consider separately sentences of length  $\leq 10$  and 20, initialize model "harmonically", try  $\sigma \in \{80, 100, 120, 140, 160, 180\}$

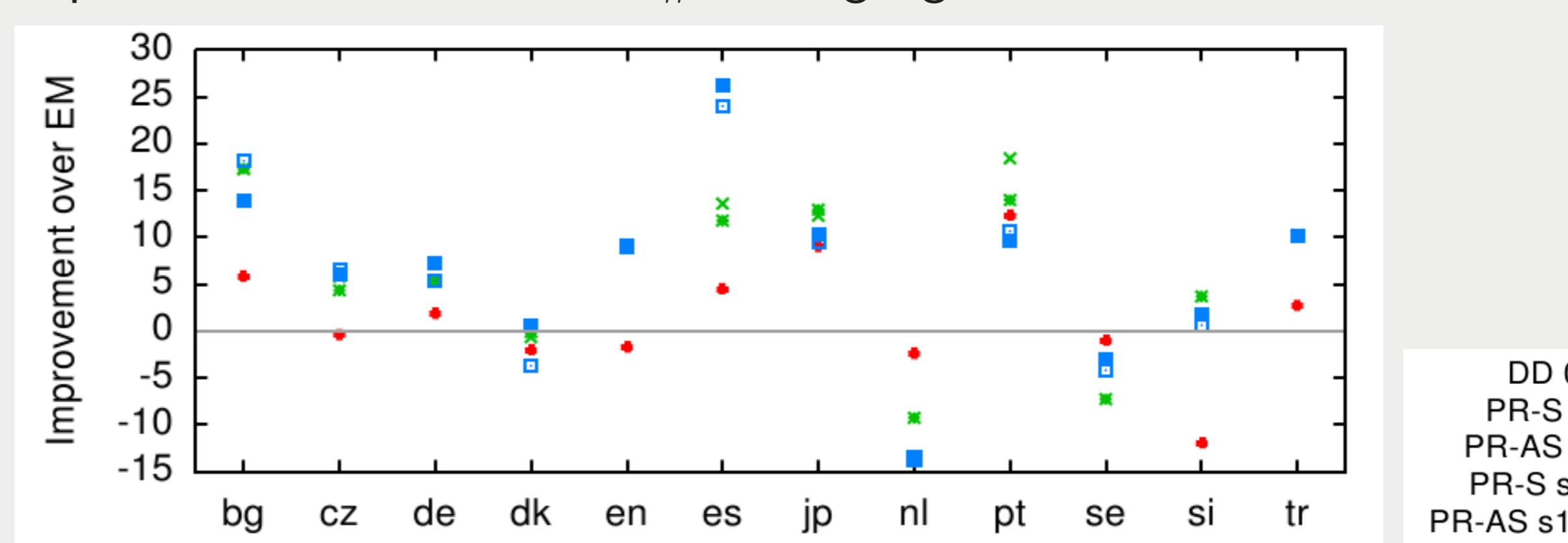
► Table: top — experiments on the basic dependency model with valence: our method and two parameter priors (Cohen et al., NIPS 2008; Cohen and Smith, NAACL 2009); bottom — extended version of the model with parameters that use more valence information: our method, and a non-sparsifying ( $\alpha = 1$ ) discounting Dirichlet prior (DD) with random pools initialization and learned backoff weight  $\lambda$  (Headden et al., NAACL 2009).

► PR with random pools would likely produce best result of all

Learning Method	Accuracy		
	$\leq 10$	$\leq 20$	all
PR ( $\sigma = 140$ )	<b>62.1</b>	<b>53.8</b>	<b>49.1</b>
LN families	59.3	45.1	39.0
SLN TieV & N	61.3	47.4	41.4
PR ( $\sigma = 140, \lambda = 1/3$ )	64.4	55.2	50.5
DD ( $\alpha = 1, \lambda$ learned)	<b>65.0</b> ( $\pm 5.7$ )		

## Experiments on 11 Other Languages

► Figure: Relative error with respect to EM on the extended model; DD = discounting Dirichlet prior, PR = posterior regularization ( $\sigma = 160$  chosen on English), PR-S = symmetric version of constraints, PR-AS = asymmetric version; Avg = average improvement over EM, W = # of languages better than EM



## Parse Analysis

Parse	Unique parent-child pairs
 Una → d → nc → v → es	(v, nc); (nc, d)
 Una → d → nc → v → es	(v, d); (d, nc)
 Lleva → v → nc → v → entenderlos	(v, nc); (v, v)

- Parses 1 and 3: 3 unique pairs total
- Parses 2 and 3: 4 unique pairs total

## Conclusion

- For the basic model, average improvements over EM are 1.6% for DD, 6.7% for PR
- For the extended model, average improvements over EM are 1.4% for DD, 6.4% for PR
- Using posterior regularization significantly improves parsing accuracy